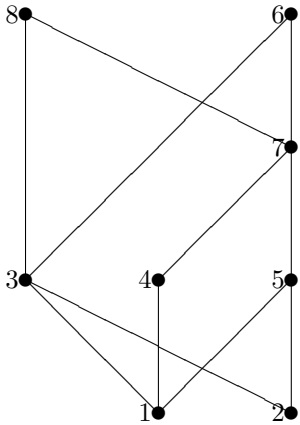


Name .....

group BA... row .... col....

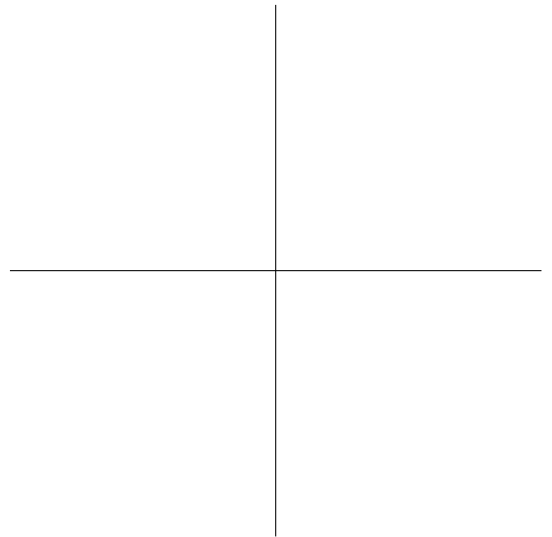
1.	2.	3.	$\Sigma$

1. Find sup and inf for every par of elements



inf	1	2	3	4	5	6	7	8
1	1	x	x	x	x	x	x	x
2		2	x	x	x	x	x	x
3			3	x	x	x	x	x
4				4	x	x	x	x
5					5	x	x	x
6						6	x	x
7							7	x
8								8

2. For  $(x, y), (s, t) \in \mathbb{R}^2$  let  $(x, y)R(s, t) \Leftrightarrow \exists k \in \mathbb{Z} x^2 - y + k = s^2 - t$ . Prove  $R$  is equivalence relation. Find equivalence class  $[(a, b)]_R$ . Draw  $[(1, 1)]_R$ .

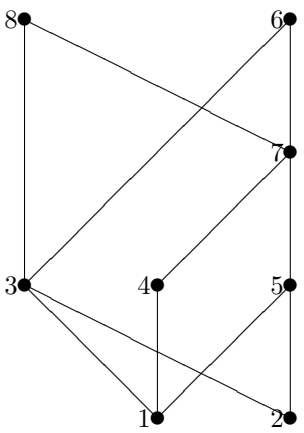


3. For  $(x, y), (s, t) \in \mathbb{N}_+^2$   $(x, y) \preceq (s, t)$  iff  $x \cdot y < s \cdot t \vee (x, y) = (s, t)$ . Prove that  $\preceq$  is a partial order. Draw the Hasse diagram for  $(\{(x, y) : x, y \in \{1, 2, 3\}\}, \preceq)$ . Find the smallest, largest, all minimal, all maximal elements.

Name ..... group BA... row .... col....

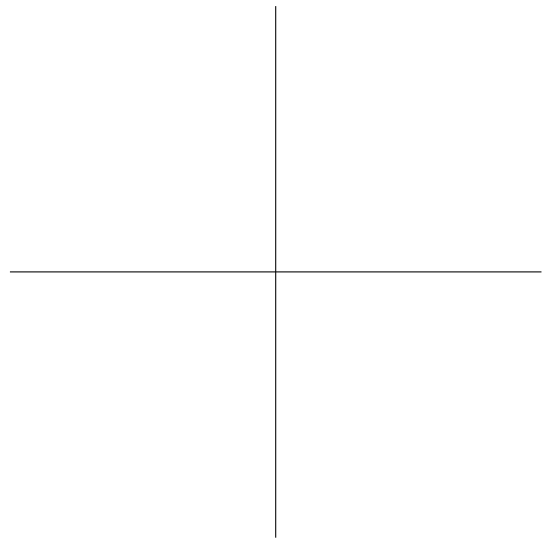
1.	2.	3.	$\Sigma$

1. Find sup and inf for every par of elements



sup	1	2	3	4	5	6	7	8
1	1							
2	x	2						
3	x	x	3					
4	x	x	x	4				
5	x	x	x	x	5			
6	x	x	x	x	x	6		
7	x	x	x	x	x	x	7	
8	x	x	x	x	x	x	x	8

2. For  $(x, y), (s, t) \in \mathbb{R}^2$  let  $(x, y)R(s, t) \Leftrightarrow \exists k \in \mathbb{Z} x^2 + y + k = s^2 + t$ . Prove  $R$  is equivalence relation. Find equivalence class  $[(a, b)]_R$ . Draw  $[(1, 1)]_R$ .



3. For  $(x, y), (s, t) \in \mathbb{N}_+^2$   $(x, y) \preceq (s, t)$  iff  $2x + y < 2s + t \vee (x, y) = (s, t)$ . Prove that  $\preceq$  is a partial order. Draw the Hasse diagram for  $(\{(x, y) : x, y \in \{1, 2, 3\}\}, \preceq)$ . Find the smallest, largest, all minimal, all maximal elements.